## Zero Vector and AT Math

Paul T E Cusack*

BScE, DULE, 23 Park Ave, Saint John, NB E2J 1R2, Canada

## Article Info

## *Corresponding author:

Paul T E Cusack
BScE, DULE
23 Park Ave
Saint John, NB E2J 1R2
Canada
Tel: +1-506-652-6350
E-mail: St-michael@hotmail.com

Received: November 28, 2018
Accepted: December 20, 2018
Published: January 17, 2019

Citation: Cusack PTE. Zero Vector and AT Math. Int J Cosmol Astron Astrophys. 2019; 1(1): 16-17.
doi: 10.18689/ijcaa-1000106

Copyright: © 2019 The Author(s). This work is licensed under a Creative Commons Attribution 4.0 International License, which permits unrestricted use, distribution, and reproduction in any medium, provided the original work is properly cited.

Published by Madridge Publishers


#### Abstract

From Linear Algebra we have a vector called the aero vector. It has interesting properties that lead to fundamental universal constants: the golden mean parabola; the gravitational constant, the super force and moment.


Keywords: Zero Vector; Astrotheology; Linear Algebra

## Introduction

The Zero Vector $(0,0,0 \ldots . .0)$ is an interesting vector. It is perpendicular to every other vector and to itself. From this, we can derive the golden mean parabola; the gravitational constant, the super force and moment. We begin with the aero vector [1-3].
Given that:
$\{0\} \neg \lambda\left\{a_{1}, a_{2}, \ldots a_{\infty}\right\}$
$\{0\} \neg\{0\}$
Then:
$\{0\}=\sum \lambda\left\{a_{1}, a_{2}, \ldots . a_{\infty}\right\}$
$=\lambda\left\{a_{1}, a_{2}, \ldots, a_{\infty}\right\}$
$=\lambda \infty$
$\sum \lambda\left\{a_{1}, a_{2}, \ldots a_{\infty}\right\}=\cos (\pi / 2)=0$
$[\cos \theta]^{\prime}=\sin \theta$
$\sin (\pi / 2)=1$
$\cos (\pi / 2) \neg \int \sin (\pi / 2)=\int 1+\mathbb{C} 1$
Now,

$$
\sum \lambda\left\{a_{1}, a_{2}, \ldots, a_{\infty}\right\}=0
$$

$$
\rightarrow \lambda=0 \text { or }\left\{a_{1}, a_{2}, \ldots, a_{\infty}\right\}=0
$$

$$
\sum \lambda\left\{a_{1}, a_{2}, \ldots, a_{\infty}\right\}=\int 1+\mathbb{C} 1
$$

$$
\lambda \neq 0 \text { or } \lambda\left\{a_{1}, a_{2}, \ldots a_{\infty}\right\}=\int 1
$$

$$
\text { Let } \mathrm{y}=\mathrm{y}^{\prime}
$$

$\int A=1$
$a^{2} / 2=1$

$$
A=\sqrt{ } 2
$$

And,
$\int A=\int 1$
$1 / 2 A^{2}=A+C 2$
$A^{2}-A-1=0$

Golden Mean Parabola
$A^{2} / 2=A+\mathbb{C} 1$
$A^{2}=2 A$
$A=2$
$A=\{2,0,0, \ldots . .0\}$
$L=\sqrt{ }\left[a_{1}{ }^{2}+a_{2}{ }^{2}+. . a_{\infty}{ }^{2}\right]$
$2^{2}=\left[a_{1}{ }^{2}+a_{2}{ }^{2}+. . a_{\infty}{ }^{2}\right]$
$a_{1}=2$
Circ. $=$ Area'
$2 \pi R=\pi R^{2}$
$\mathrm{R}=2$
$=\mathrm{a}$
$=\mathrm{dM} / \mathrm{dt}$
Pythagoras \& Equation of a Circle
$a^{2}+b^{2}=R^{2}$
$\sqrt{ } 2^{2}+\sqrt{ } 2^{2}=2^{2}$
Consider:
$\int\left(a^{2}+b^{2}\right)=R^{2}$
$a^{3} / 3+b^{3} / 3=R^{3} / 3$
$a^{3} / 3+b^{3} / 3+2^{3} / 3$
$a=b$
$2 a^{3} / 3=8 / 3$
$G(8)=S . F$.
$2 a^{3}=8$
$a=\sqrt[3]{4}=1.587$
$=1-\sin 1$
=Moment
Because the Zero Vector Space is finite, the universe is finite.

